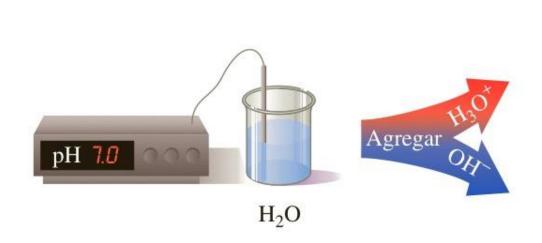
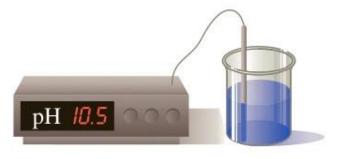


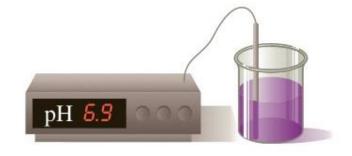
Soluciones amortiguadoras de pH (*Buffer*)



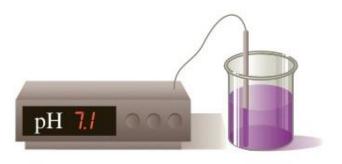












¿Cómo funciona una solución amortiguadora de pH?

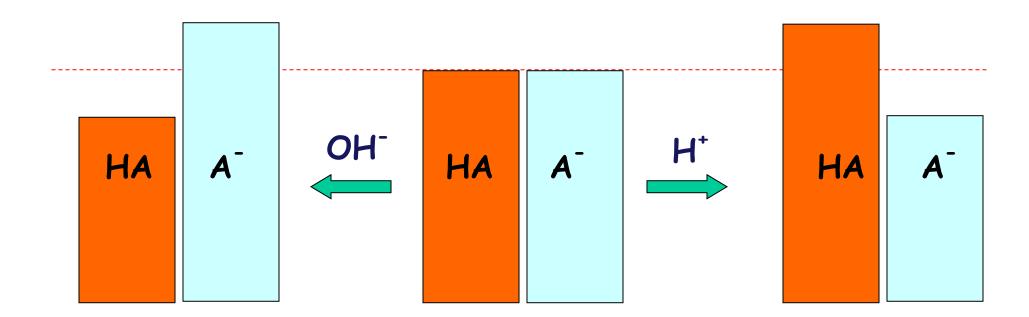


$$\mathbf{HA}_{(ac)}$$
 $\mathbf{H}^{+}_{(ac)}$ + $\mathbf{A}^{-}_{(ac)}$

$$\mathbf{K_a} = \frac{[\mathbf{H}^+][\mathbf{A}^-]}{[\mathbf{H}\mathbf{A}]}$$

$$[\mathbf{H}^{+}] = \mathbf{K}_{\mathbf{a}} \frac{[\mathbf{H}\mathbf{A}]}{[\mathbf{A}^{-}]}$$

$$HA_{(ac)}$$
 $H^+_{(ac)}$ + $A^-_{(ac)}$



De acuerdo con el principio de Le Chatelier, este sistema en equilibrio exhibe la notable propiedad de mantener la concentración de iones de hidrógeno ([H+]) constante, incluso cuando se le adiciona una base o un ácido

$$[H^{+}] = K_{a} \frac{[HA]}{[A^{-}]} / -log$$

$$-log [H^{+}] = -log K_{a} \frac{[HA]}{[A^{-}]}$$

$$pH = pK_a + log \frac{[A]}{[HA]}$$

Ecuación de Henderson-Hasselbalch

¿Qué pH se obtiene al mezclar HAc 0,1 M y NaAc 0,2 M? datos: $K_a=1.7 \times 10^{-5}$; $pK_a=4.7$

Nota: Se debe considerar que el ácido acético está muy poco disociado y el acetato de sodio se encuentra completamente disociado. Recordar que el acetato es un electrolito fuerte.

HAC O,1 mol NaAc H+ **HAc** Ac⁻ **HAc** Ac-**HAc** Ac Ac⁻ **HAc HAc** Ac⁻ Ac Ac HAc **HAc**

$$pH = pK_a + log \frac{[A]}{[HA]}$$

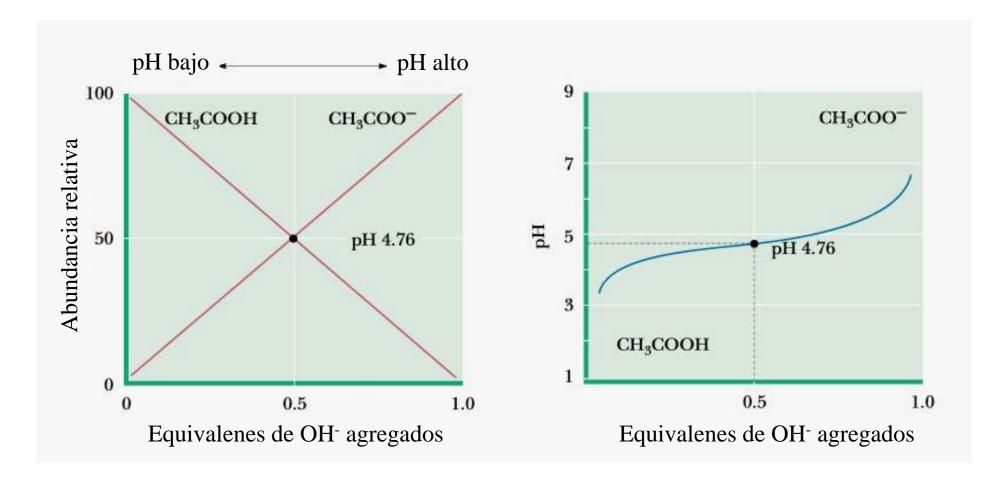
pH =
$$4.7 + log$$

$$\frac{0.2 \text{ (acetato)}}{0.1 \text{ (ác. acético)}}$$

$$pH = 4,7 + \log 2$$

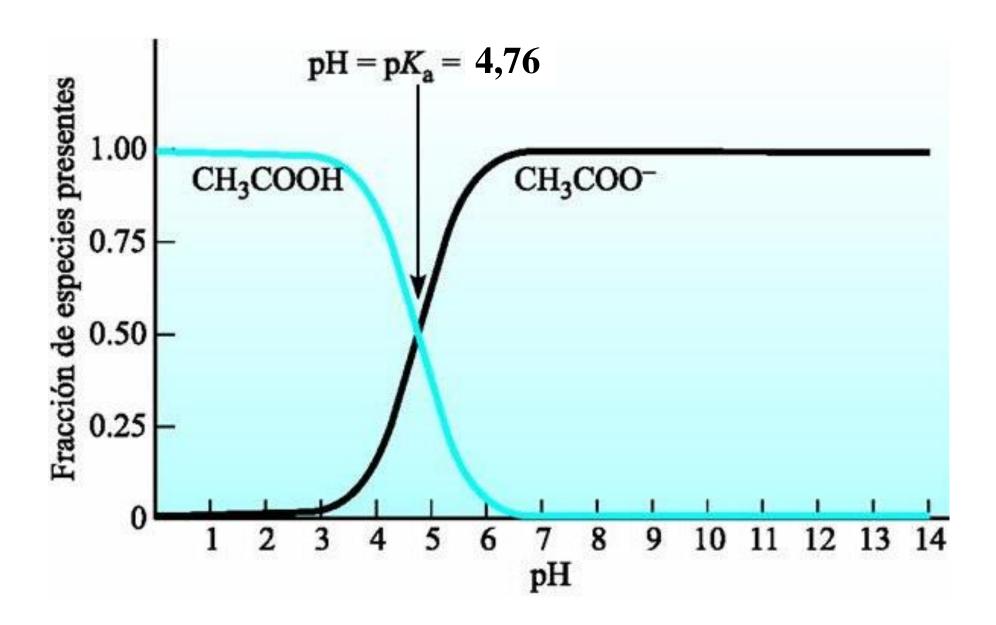
$$pH = 5$$

Nota: Este sistema funciona como "buffer" o solución amortiguadora a pH 5,0



Nota: El ácido acético se encuentra 50% disociado a pH 4,76 que corresponde al valor de su *pKa*.

$$pH = pK_a + log \frac{[Ac]}{[HAc]}$$



El CO₂ disuelto en agua establece un equilibrio acido-base

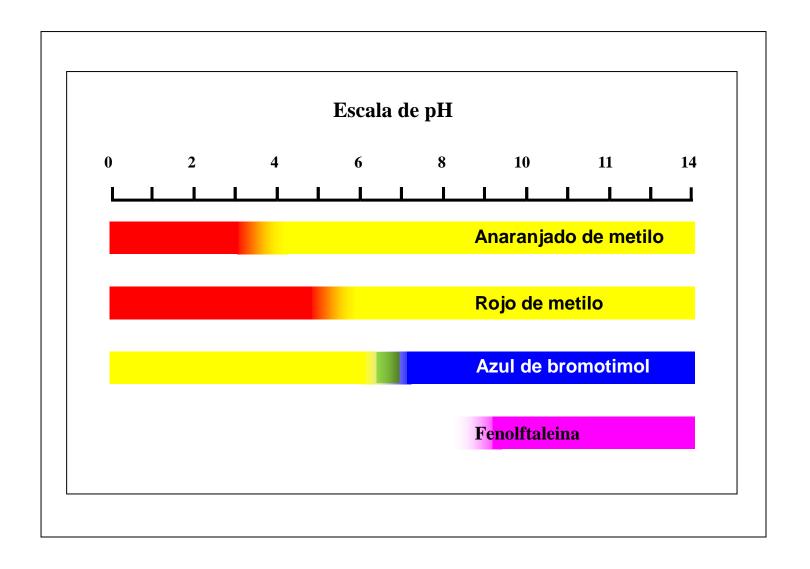
$$CO_2 + H_2O \longrightarrow H_2CO_3$$

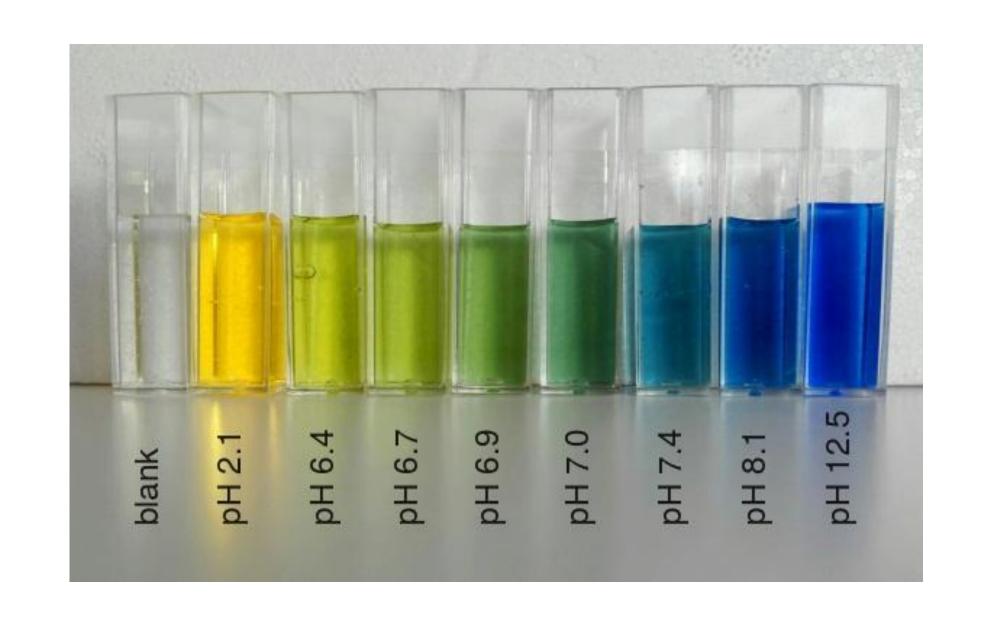
$$H_2CO_3 \longrightarrow H^+ + HCO_3$$
 $K_{\alpha 1} = 4.3 \times 10^{-7}$ $pK_{\alpha 1} = 6.4$

$$HCO_3$$
 \longrightarrow H^+ + CO_3^{-2} $K_{\alpha 2} = 5.6 \times 10^{-11}$ $pK_{\alpha 2} = 10.2$



INDICADORES DE pH



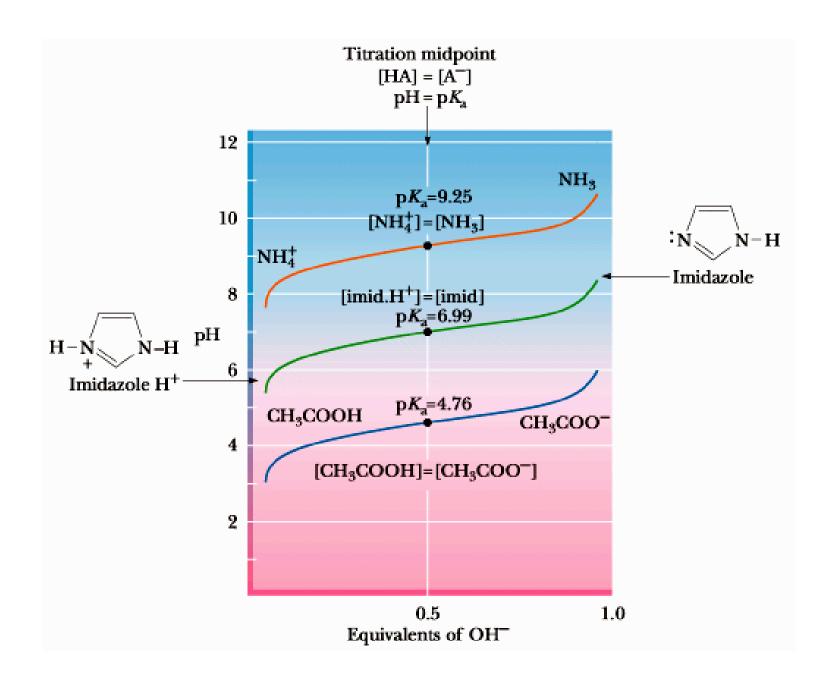


Azul de bromotimol, un indicador de pH

Color amarillo

Color azul

Carbon Dioxide Behaves as an Acid in Water



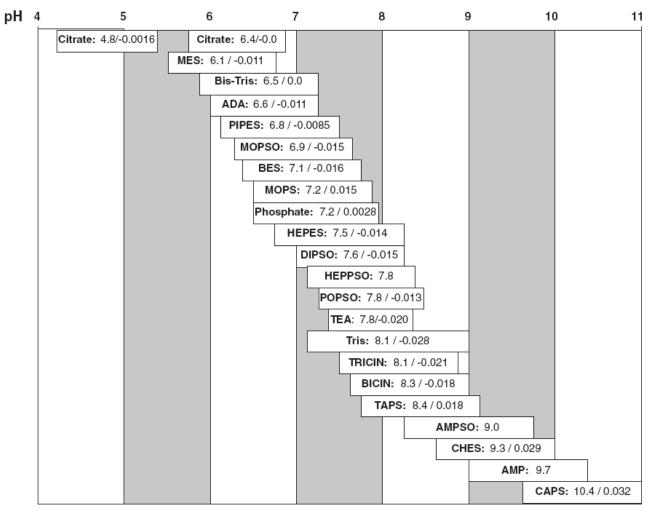
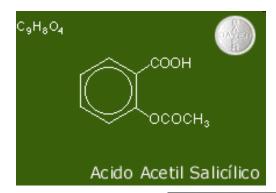


Figure 1.1. Working range, pKa, and temperature dependence of buffers. The numbers behind the buffer names are pKa and its temperature dependence (change of pKa per °C). MES: 2-(N-morpholino)-ethanesulfonic acid; Bis-Tris: [bis(2-hydroxyethyl)imino]Tris(hydroxymethyl)methane; ADA: N-(2 acetamidoimino)diacetic acid; PIPES: piperazine-N, N-bis(2-ethane sulfonic acid); MOPSO: 3-(N-morpholino)-2-hydroxy propanesulfonic acid; BES: N,N-bis(2-hydroxyethyl)-2-aminoethane sulfonic acid; MOPS: 3-(N-morpholino) propanesulfonic acid; HEPES: N-2-hydroxyethylpiperazine-N-2-ethanesulfonic acid; DIPSO: 3-[N-bis(hydroxyethyl)amino]-2-hydroxypropanesulfonic acid; HEPPSO: N-(2-hydroxypthyl) piperazine N-(2-hydroxypropanesulfonic acid); POPSO: piperazine-N,N-bis(2-hydroxypropanesulfonic acid); TEA: triethanolamine; TRIS: Tris(hydroxymethyl)aminomethane; TRICIN: N-[Tris(hydroxymethyl)methyl]glycine; BICIN: N, N-bis(2-hydroxyethyl)glycine; TAPS: 3-{[Tris(hydroxymethyl)methyl]amino}propanesulfonic acid; AMPSO: 3-[(1,1-dimethyl-2-hydroxy-ethyl)amino]-2-hydroxypropanesulfonic acid; CHES: cyclohexylaminoethanesulfonic acid; AMP: 3-aminopropanesulfonic acid; CAPS: 3-(cyclohexylamino)propanesulfonic acid.

pKa - pH = log ([HA]/[A-])

Ejemplo: ác. acetilsalicílico pKa 3,5

a) pH 1,5 (estómago en ayunas)



 $3.5 - 1.5 = 2 = \log ([HA]/[A-])$ 100 no ionizada/1 ionizada

b) pH 2,5 (estómago con alimentos) $3,5-2,5=1=\log ([HA]/[A-])$ 10 no ionizada/ 1 ionizada



$$pKa - pH = log([HA]/[A-])$$

Ejemplo:

ác. acetilsalicílico pKa 3,5

c) pH 3,5 (estómago con alimentos)

$$3.5 - 3.5 = 0 = \log ([HA]/[A-])$$

1 no ionizada/1 ionizada

d) pH 6,5 (duodeno)

$$3.5 - 6.5 = -3 = \log ([HA]/[A-])$$

1 no ionizada/ 1000 ionizada

La disociación del H₃PO₄

$$H_3PO_4 \longrightarrow H^+ + H_2PO_4 K_{\alpha 1} = 7.5 \times 10^{-3}$$
 $pK_{\alpha 1} = 2.1$

$$H_2PO_4$$
 \longrightarrow H^+ + HPO_4^{-2} $K_{\alpha 2}$ = 6,2 x 10-8 p $K_{\alpha 1}$ = 7,2

$$HPO_4^{-2} \longrightarrow H^+ + PO_4^{-3} \qquad K_{\alpha 3} = 4.2 \times 10^{-13}$$
 $pK_{\alpha 2} = 12.4$

