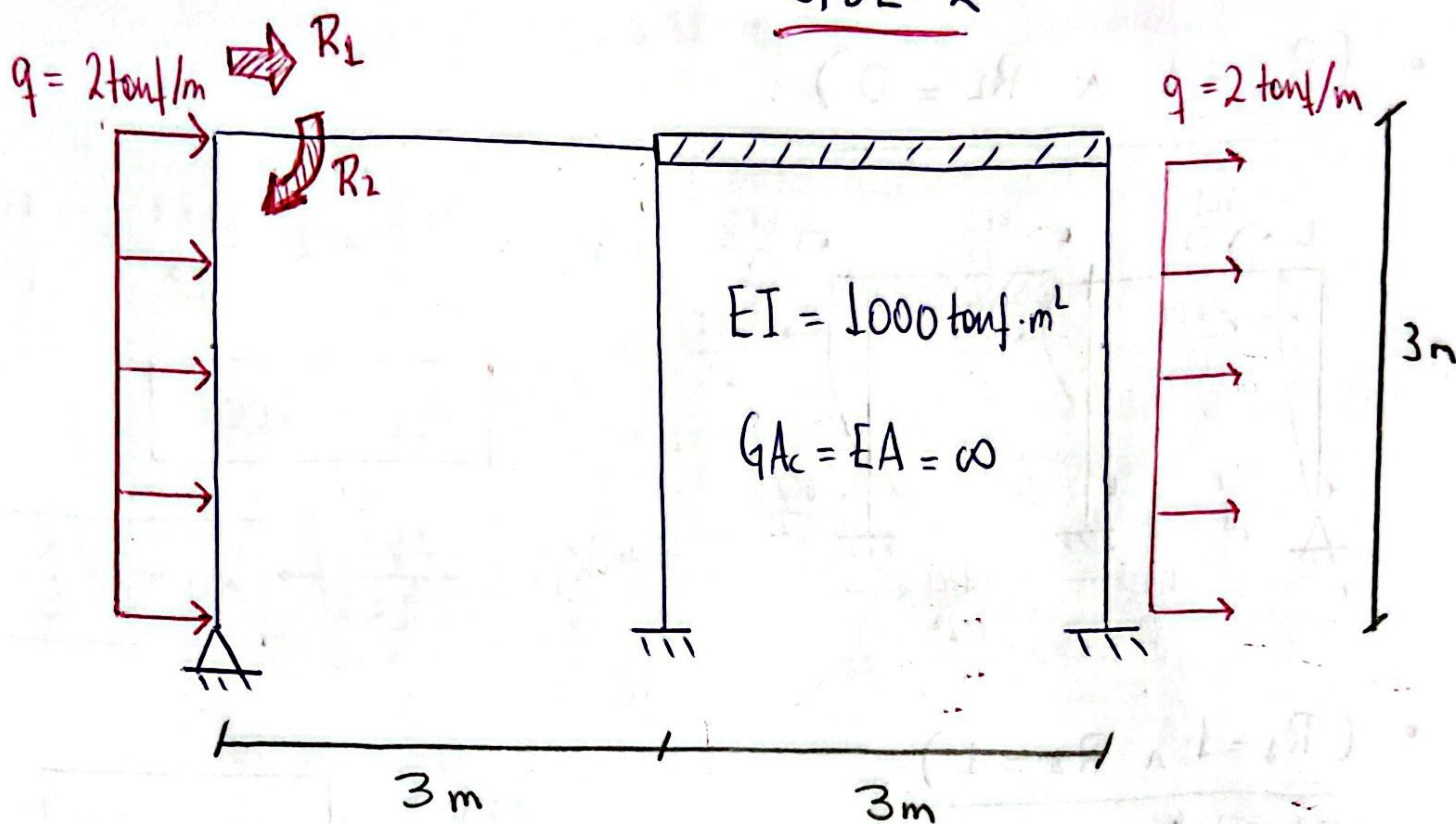
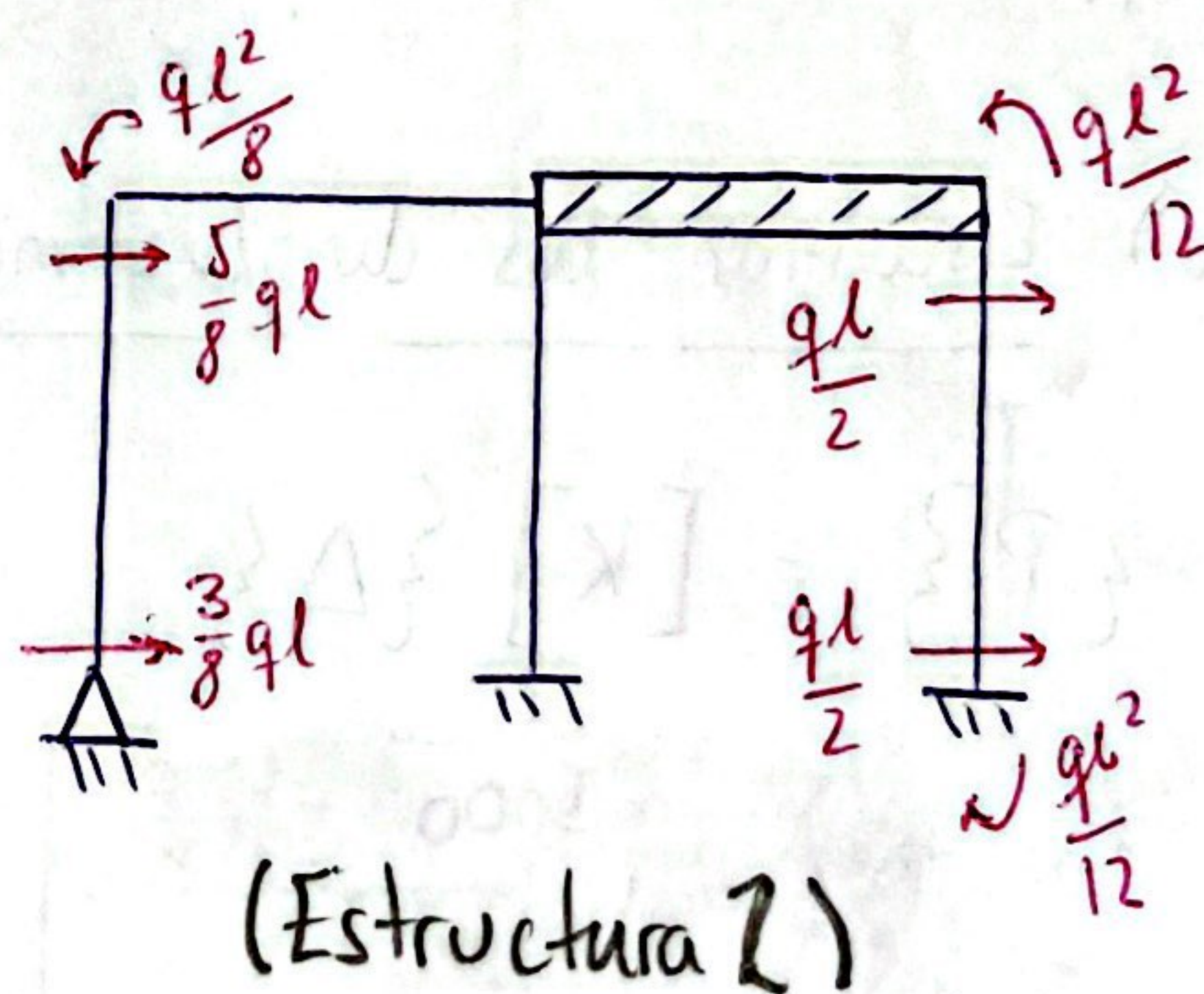
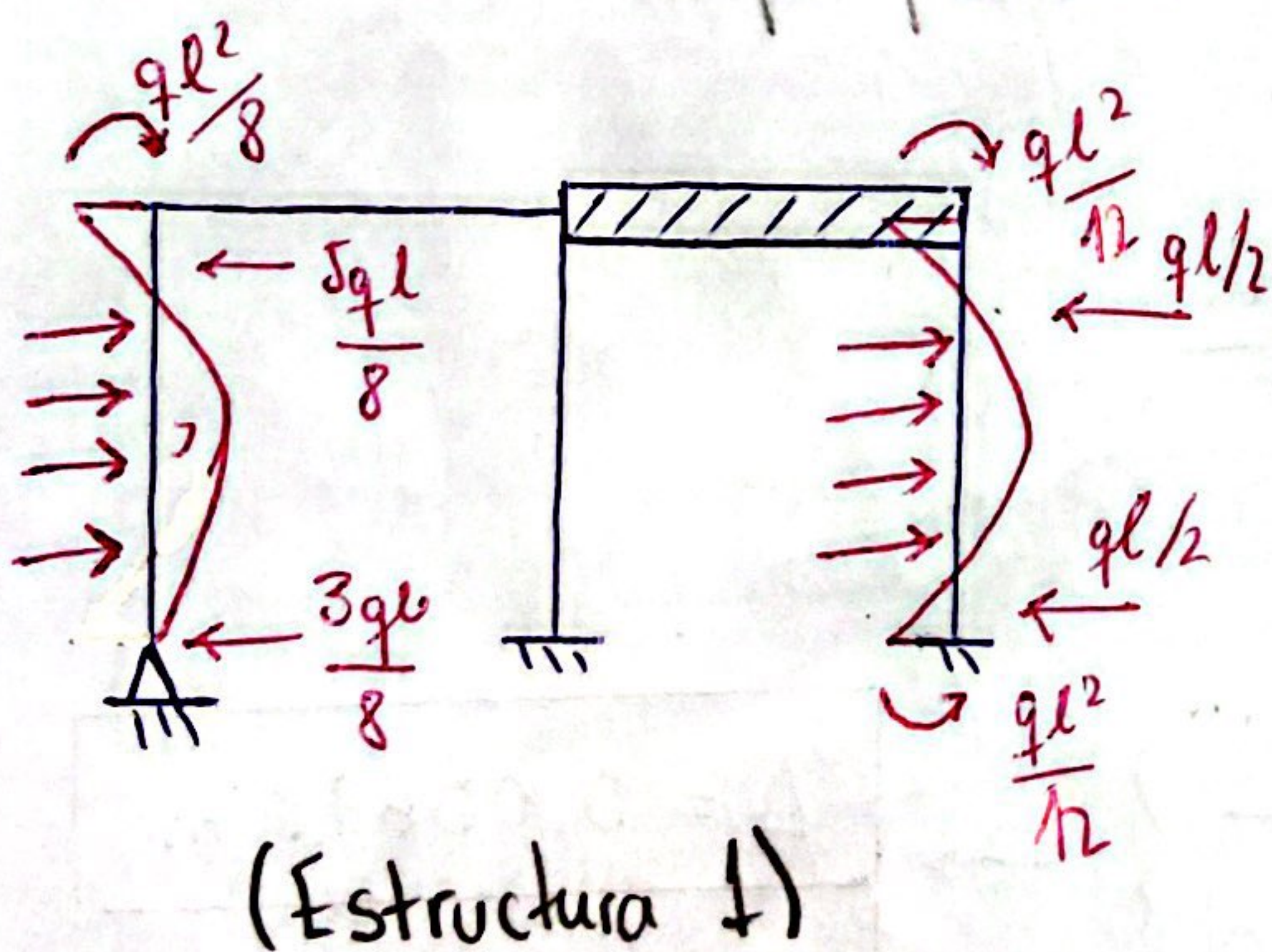


GDL=2



Para tratar con las cargas distribuidas en el método de rigidez, es necesario entender la estructura original como una superposición de dos estructuras.



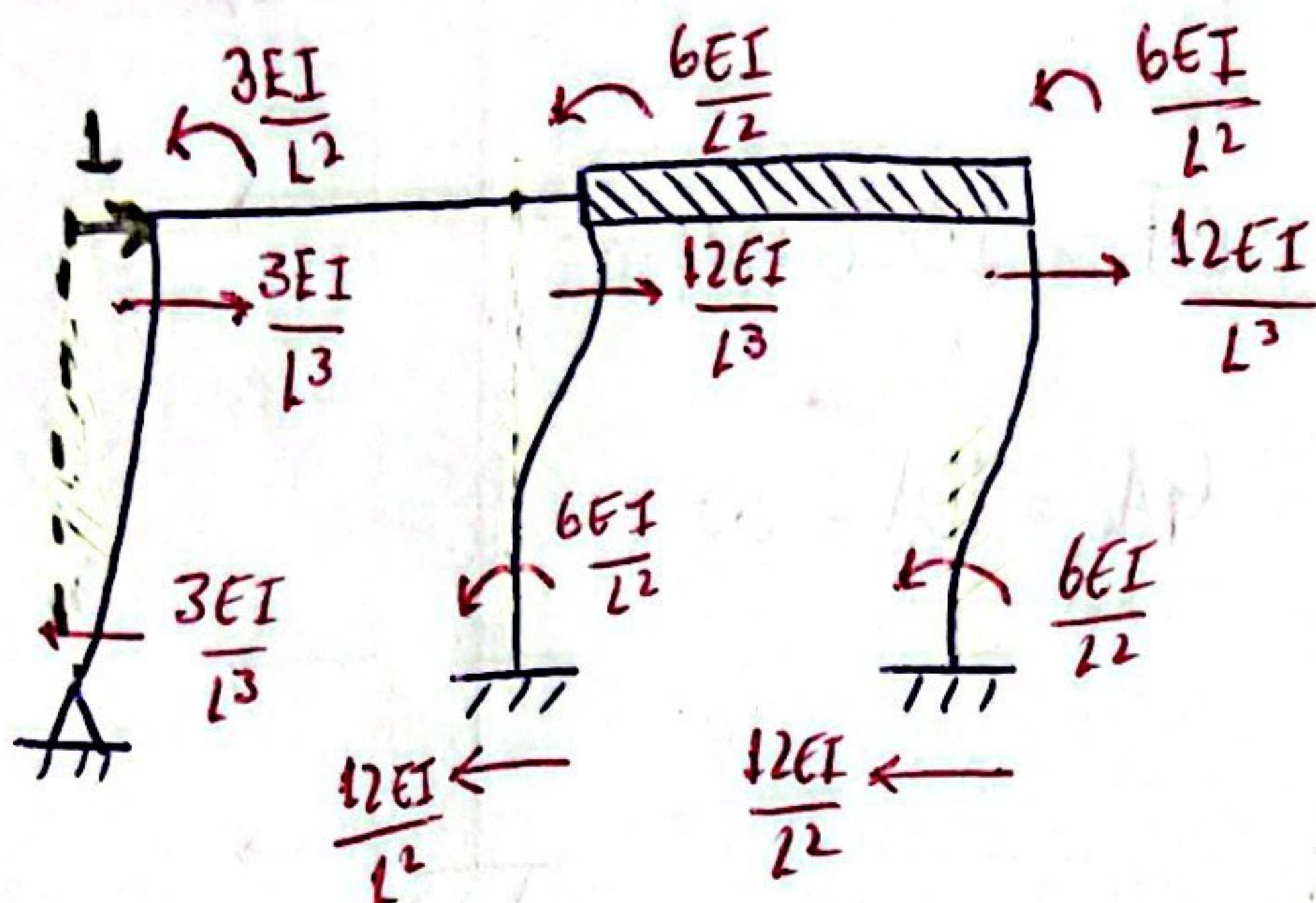
i) Vector de cargas $\{P\}$

$$\{P\} = \left\{ \begin{array}{c} \frac{5}{8}ql + \frac{ql}{2} \\ -\frac{ql^2}{8} \end{array} \right\} \rightarrow$$

$$\{P\} = \left\{ \begin{array}{c} 6.75 \\ -2.25 \end{array} \right\}$$

ii) Matriz de rigidez (estructura 2):

• $(R_1 = 1 \wedge R_2 = 0)$:

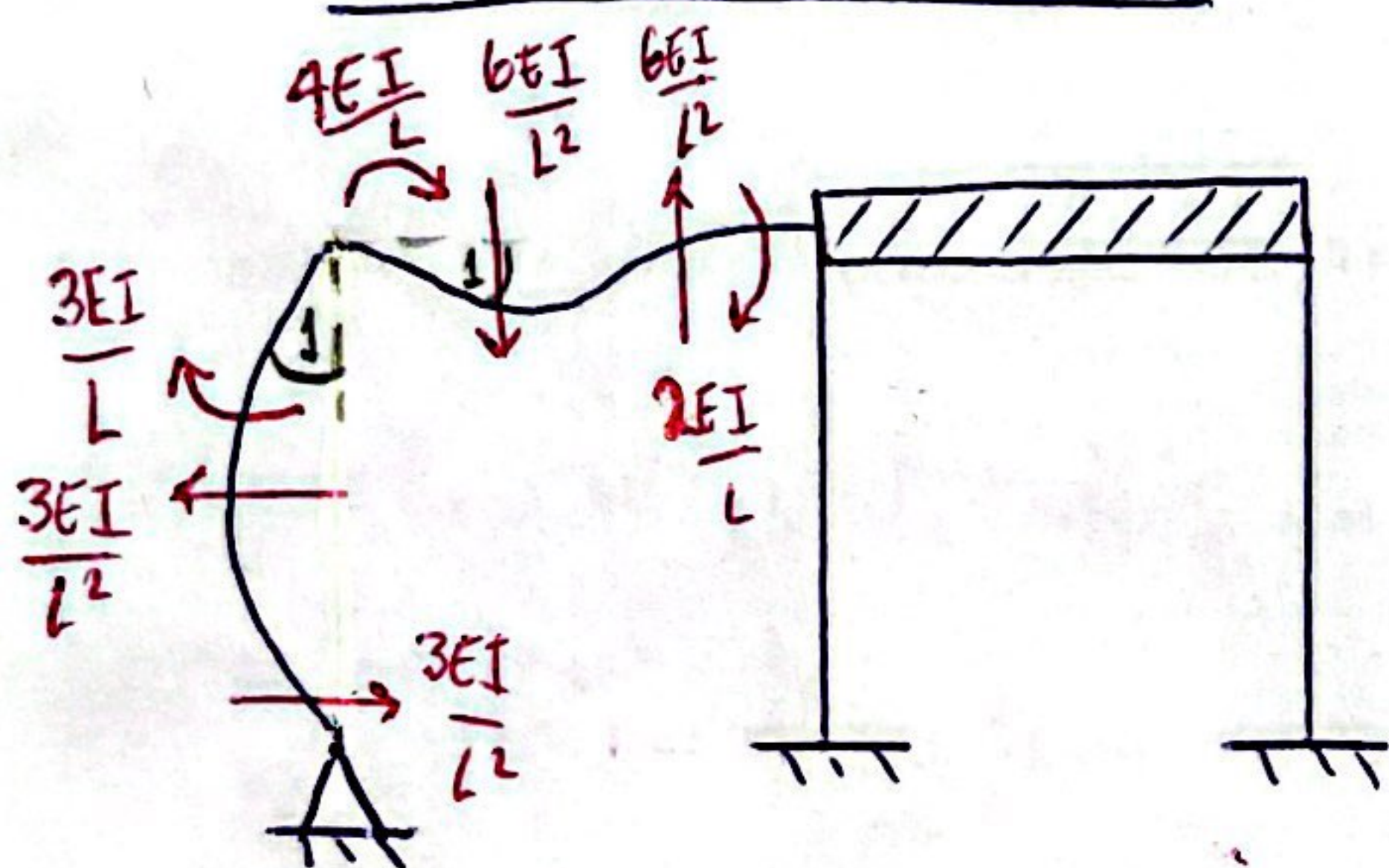


$$k_{11} = \frac{3EI}{L^3} + 2 \cdot \frac{12EI}{L^3} = \frac{27EI}{L^3}$$

$$\rightarrow k_{11} = 1000$$

$$k_{12} = -\frac{3EI}{L^2} \rightarrow k_{12} = -\frac{1000}{3}$$

• $(R_1 = \wedge R_2 = 1)$:



$$k_{22} = \frac{7EI}{L} \rightarrow k_{22} = \frac{7000}{3}$$

$$k_{21} = -\frac{3EI}{L^2} \rightarrow k_{21} = -\frac{1000}{3}$$

iii) Encontrar los desplazamientos:

$$\{P\} = [K] \{\Delta\}$$

$$\begin{Bmatrix} 6.75 \\ -2.25 \end{Bmatrix} = \begin{bmatrix} 1000 & -\frac{1000}{3} \\ -\frac{1000}{3} & \frac{7000}{3} \end{bmatrix} \begin{Bmatrix} \Delta \\ \theta \end{Bmatrix}$$

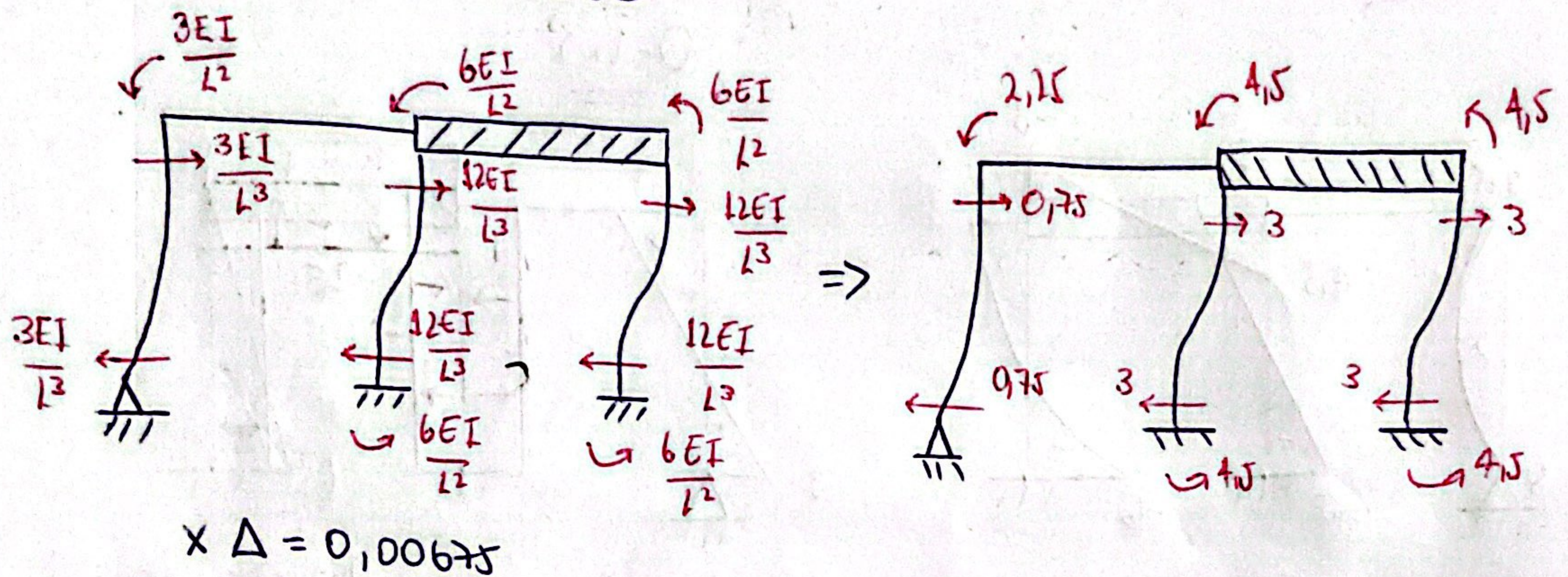
$$\Delta = 0.00675 \text{ m}$$

$$\theta = 0 \text{ rad}$$

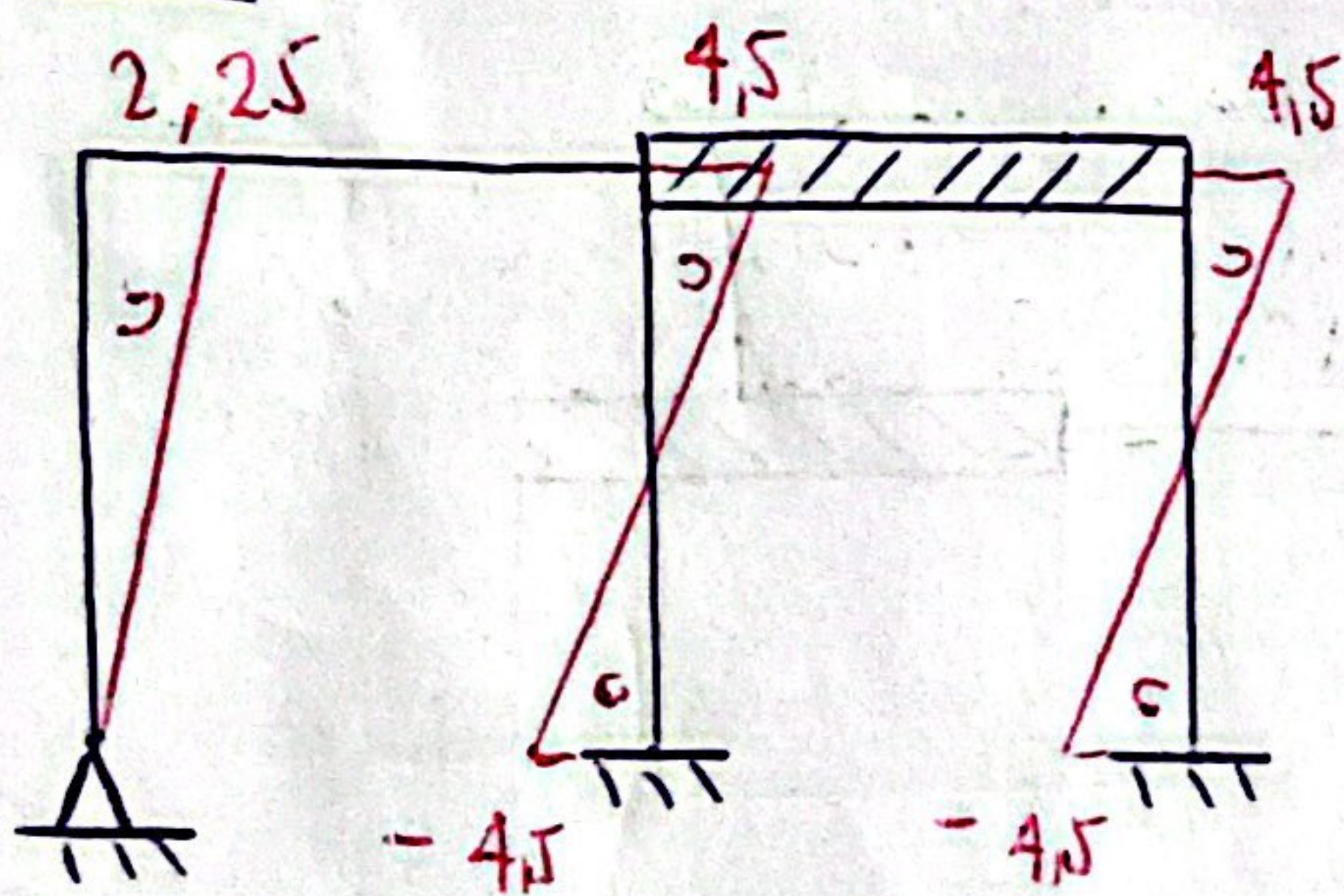
Ahora aplicamos el principio de superposición

considerando $\Delta = 0,00675 \text{ m}$, $EI = 1000 \text{ tonf m}^2$ y $L = 3 \text{ m}$.

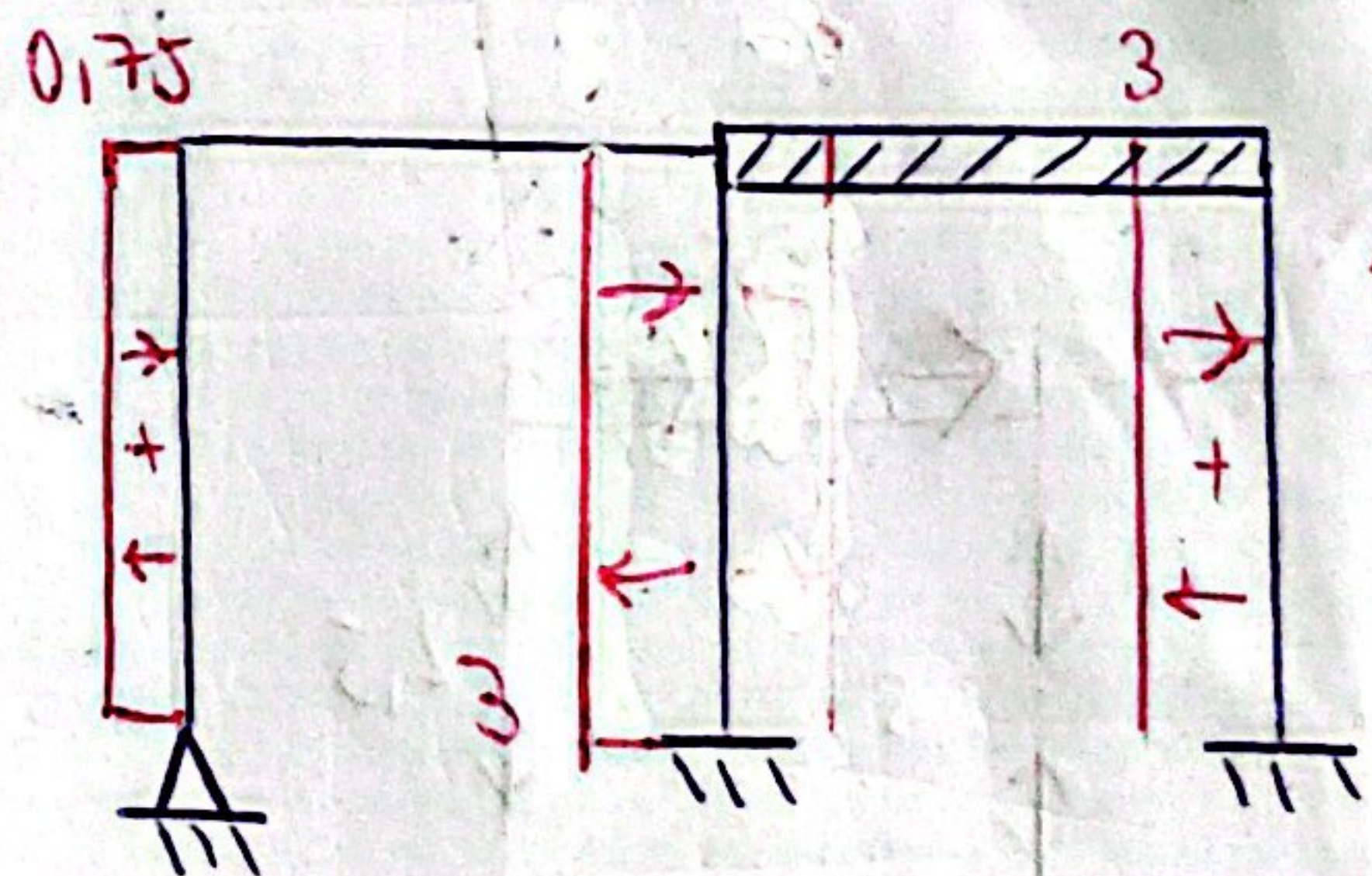
Diagramas estructura 2: (solo redundante 1)



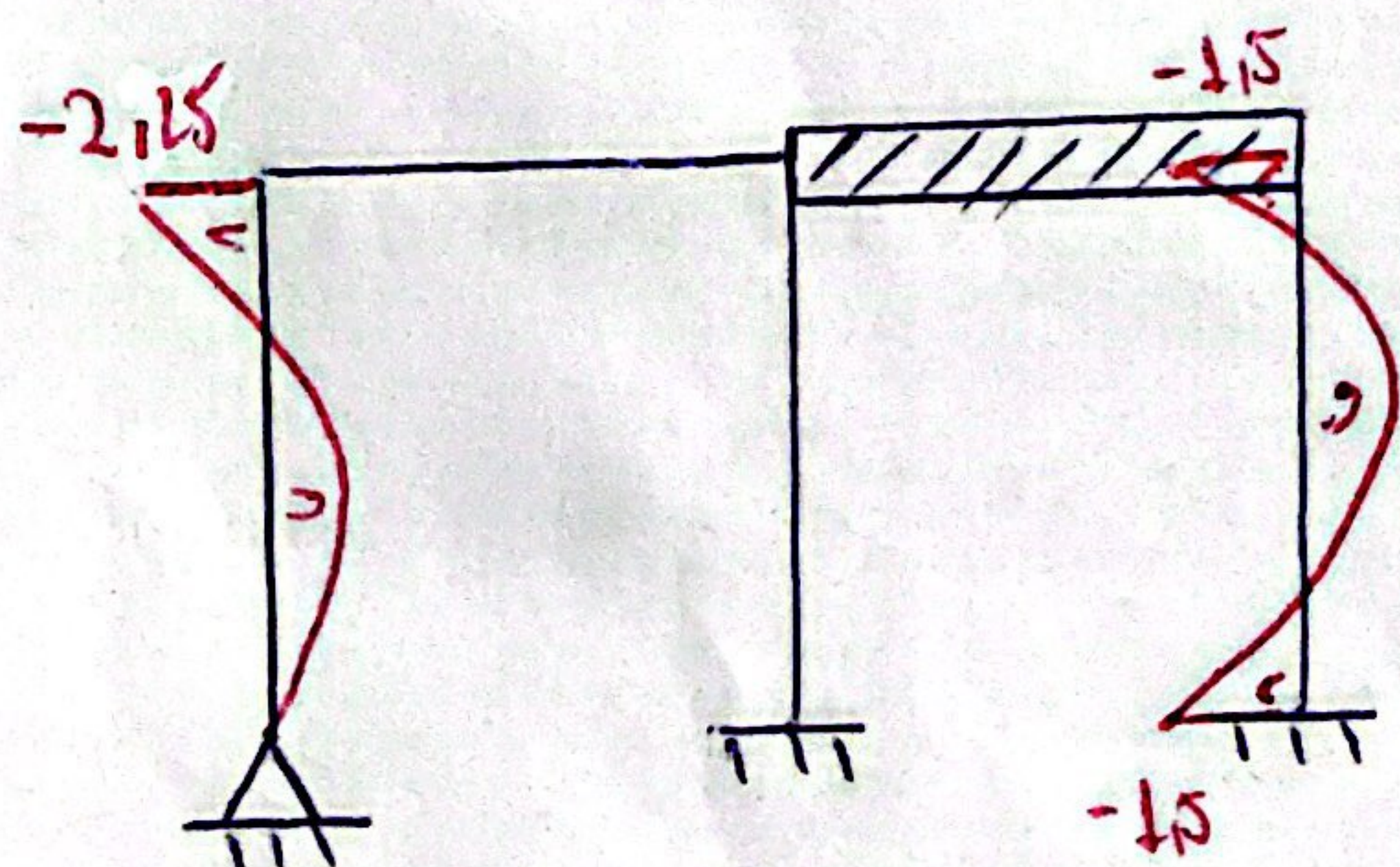
$M_2(x)$: (tonf-m)



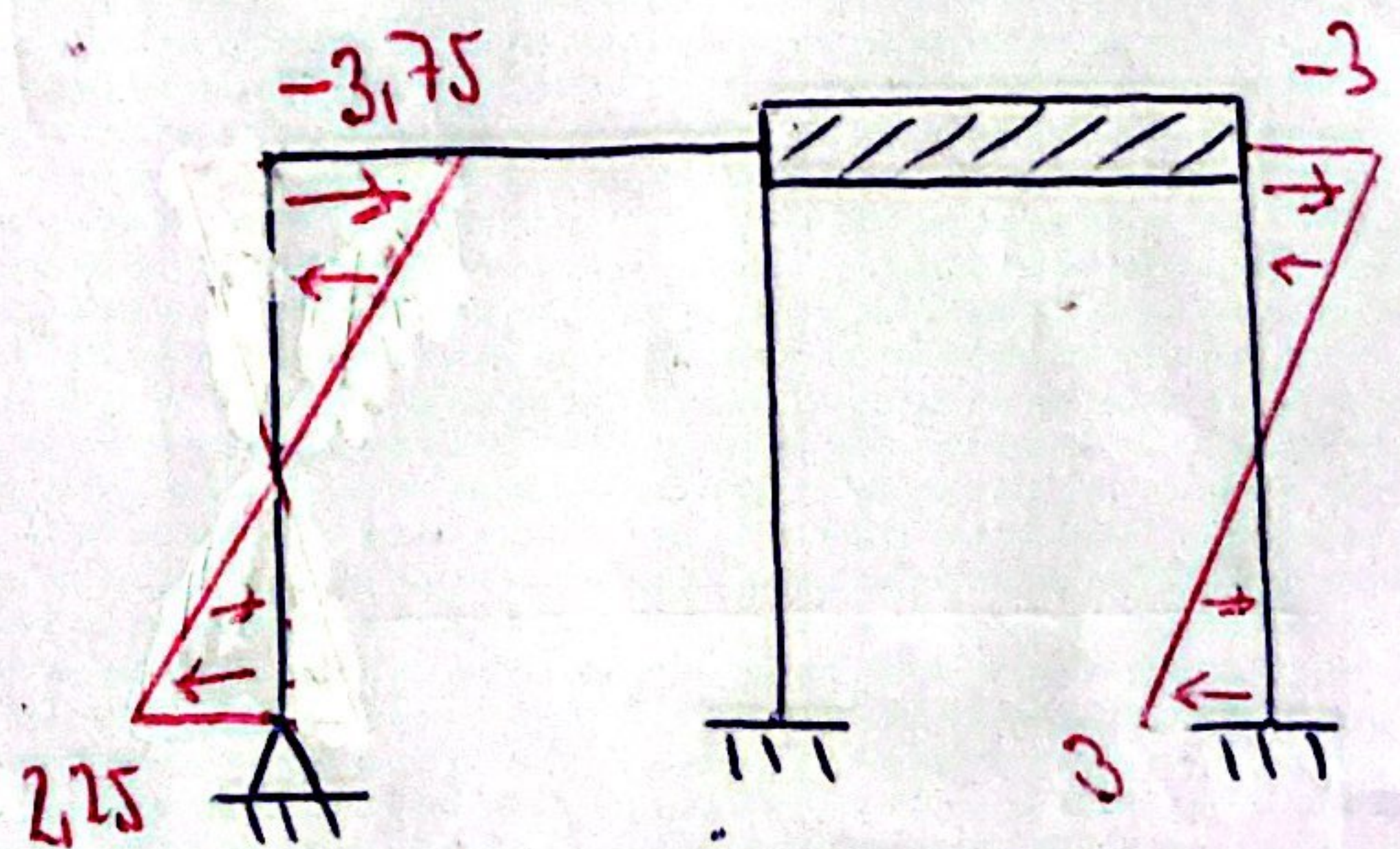
$Q_2(x)$: (tonf)



Diagramas estructura 1:

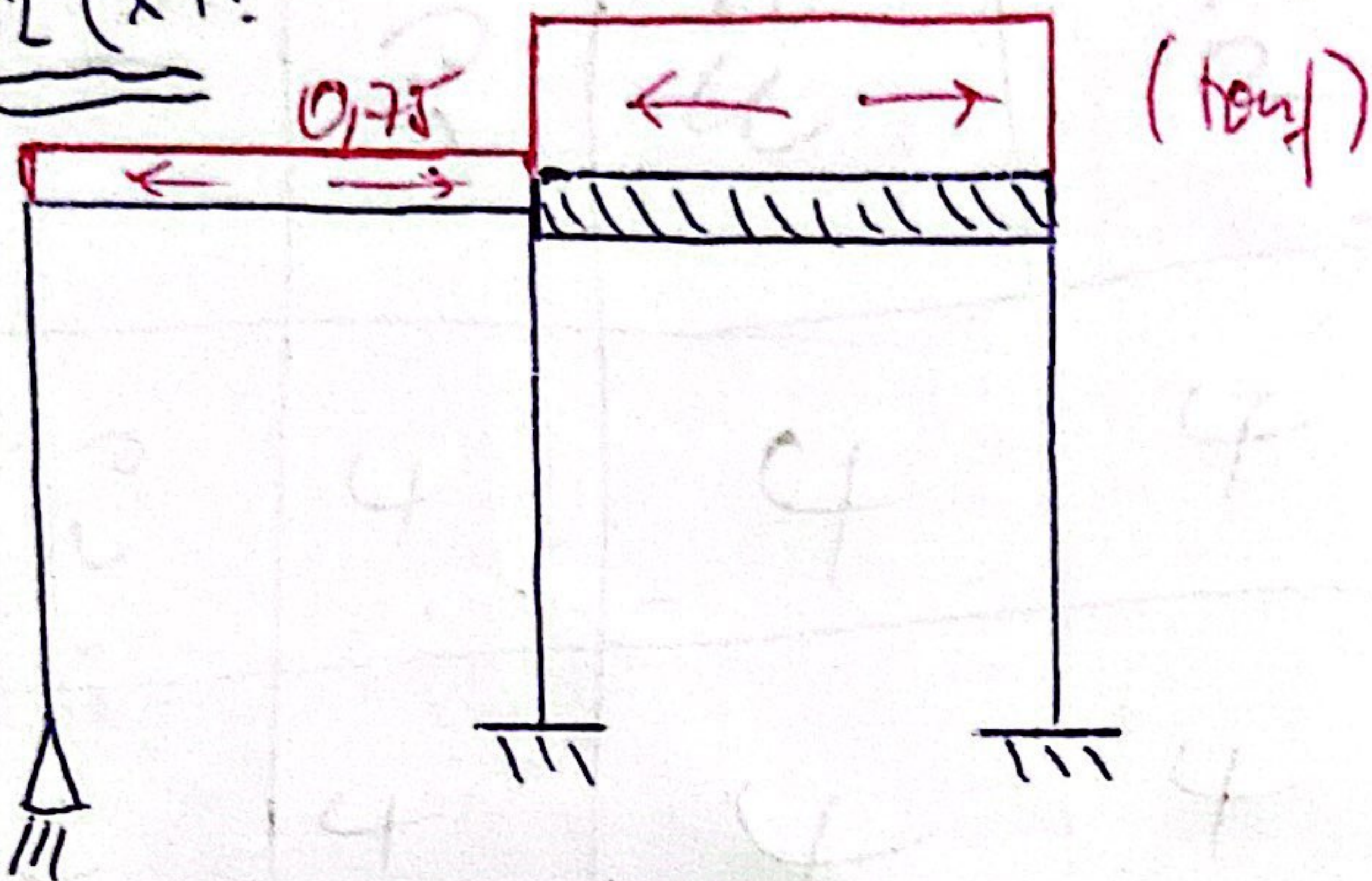


$M_a(x)$:

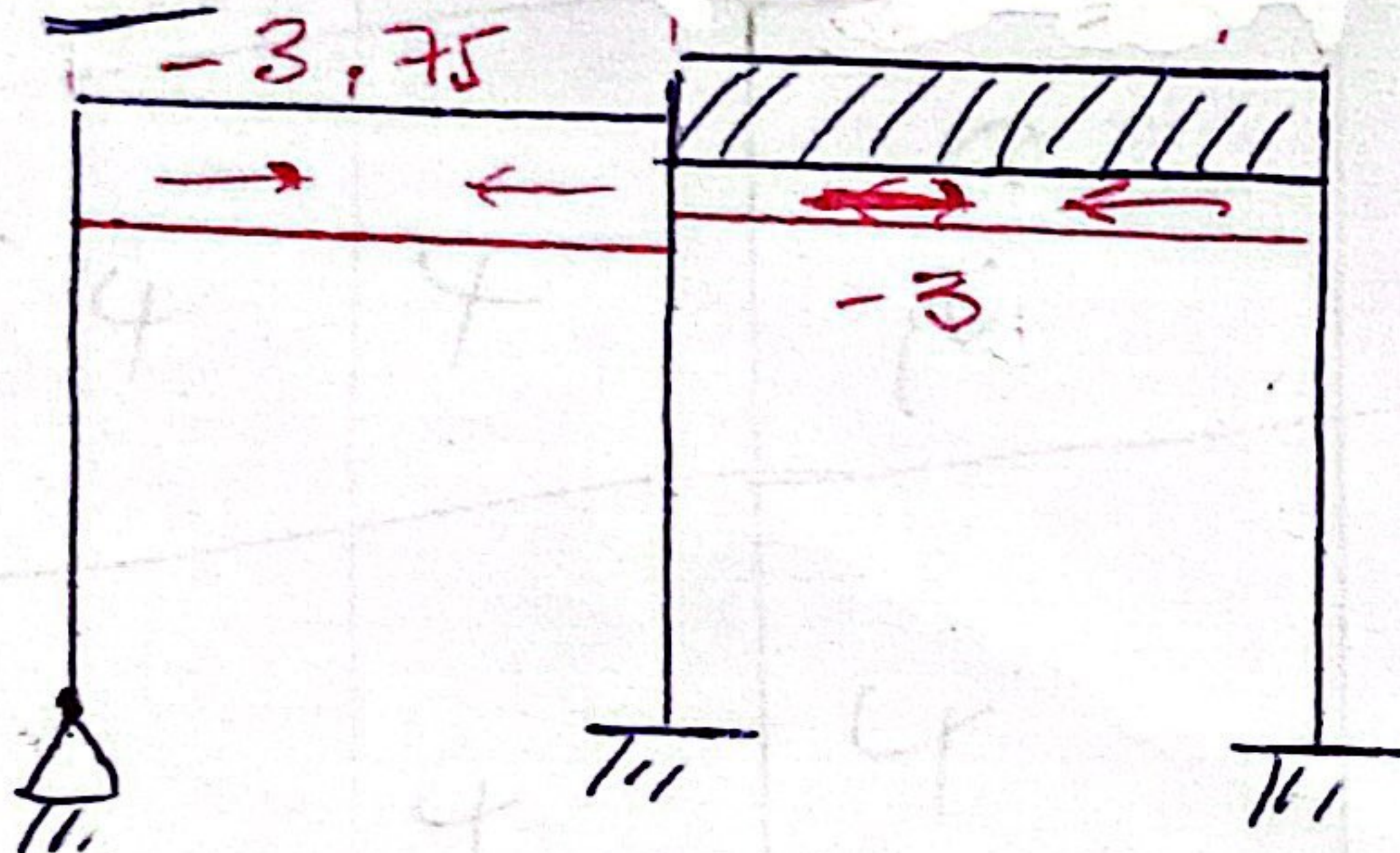


$Q_a(x)$:

$N_2(x)$:



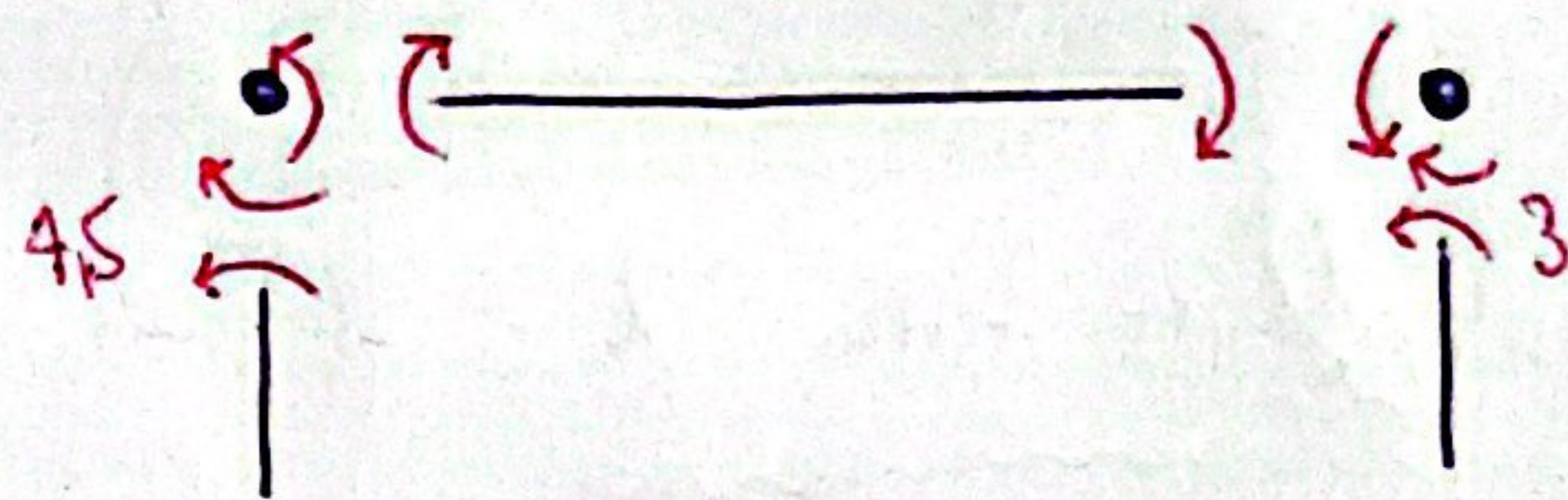
$N_Q(x)$



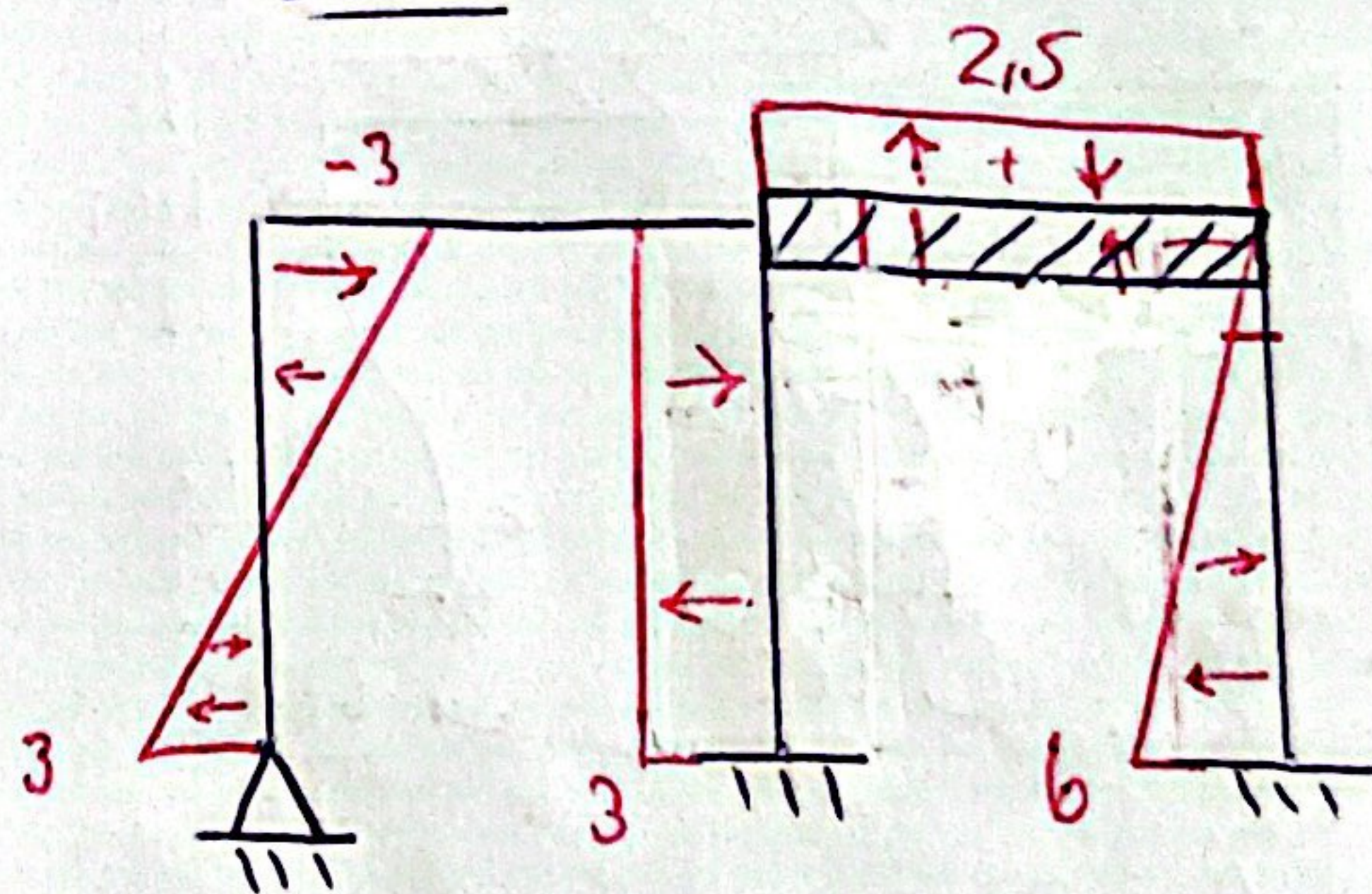
Finalmente, hacemos la superposición y obtenemos, también, $N(x)$.

OBS: $M(x)$ convención.

$M_F(x)$:



$Q_F(x)$



OBS: Recordar que $\frac{dM(x)}{dx} = Q(x)$.

$$m = \frac{\Delta y}{\Delta x} = \frac{4.5 - (-3)}{3}$$

Reacciones

$N_F(x)$:

