## IN5526 - Web Intelligence Lecture 2

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October 15, 2016

## Contents



## 1 Introduction to Data Mining and Machine Learning



## Beer and diapers

Case large US supermarket

- Customer purchase behaviour:
- Product linked with another
  - Bread  $\rightarrow$  butter,
  - ▶ Beer → diapers

## Beer and diapers

Case large US supermarket

- Customer purchase behaviour:
- Product linked with another
  - Bread  $\rightarrow$  butter,
  - ▶ Beer → diapers wait, what?
- Market segment
  - > Young men married in the last three years with small children.

Based on this information, we deduce:

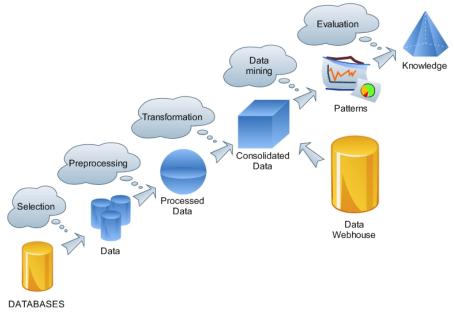
• Place diaper and beer on the same place on Friday afternoons.

## A definition

#### Data Mining

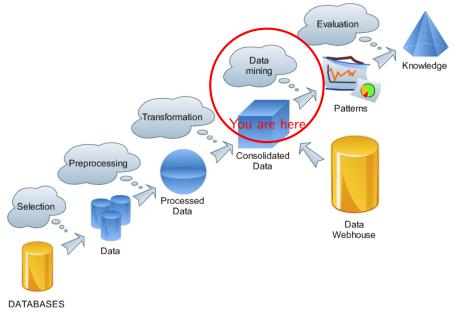
The non-trivial extraction of implicit, previously unknown and potentially useful information from data.

## Data Mining in the KDD process



Velásquez, Pizarro (DII)

## Data Mining in the KDD process



Velásquez, Pizarro (DII)

## Common Data Mining tasks

#### Predictive mining

Predict attributes of unknown data based on attributes of known data.

#### Descriptive mining

Find human-readable structure in data.

## Common Data Mining tasks

#### Classification

Generalizing known structure to apply to new data.

#### Regression

Attempts to find a function which models the data with the least error.

#### Clustering

The task of discovering groups and structures in the data.

#### Association rules

Searches for relationships between variables

- One of the tools used in Data Mining
- Build models from data

## Common Machine Learning tasks

## Supervised learning

Build models to predict a variable/class using data for other variables/features. There is a "teacher" who tells what is the right class of any given example in the training set (direct feedback).

#### Unsupervised learning

Build models to describe a set of variables (or relations). Given a population of unclassified examples, invent reasonable concepts (clusters), and find definitions/meanings of those concepts. No teacher exists during training (no feedback).

#### Reinforcement learning

Indirect feedback after many examples, an agent that evolve according to its environment (Robotic Movement).

Example data

Can we play golf?

Day	Outlook	Temperature	Humidity	Wind	PlayGolf
1	Sunny	Hot	High	Weak	No
2	Sunny	Hot	High	Strong	No
3	Overcast	Hot	High	Weak	Yes
4	Rain	Cool	Normal	Weak	Yes
5	Sunny	Mild	Normal	Weak	Yes
6	Rain	Mild	High	Strong	No
7	Overcast	Hot	Normal	Weak	Yes

#### Example data

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Day	Outlook	Temperature	Humidity	Wind	PlayGolf
8	Rain	Hot	Normal	Strong	?

Example data

#### What class of Iris flower is this?

Sepal-length	Sepal-width	Petal-length	Petal-width	Class
6.8	3	6.3	2.3	Versicolour
7	3.9	2.4	1.1	Setosa
2	3	2.3	1.7	Verginica
3	3.4	1.5	1.5	Verginica
5.5	3.6	6.8	2.4	Versicolour
7.7	4.1	1.2	1.4	Setosa
6.3	4.3	1.6	1.2	Setosa
1	3.7	2.2	2	Verginica

Example data

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Sepal-length	Sepal-width	Petal-length	Petal-width	Class
4.5	3.0	6.3	1.5	?

Some applications

- Medical diagnosis
- Industrial fault diagnosis
- Text categorization
- Speech Recognition
- Natural Language Processing
- Signal and Image Processing
- Industrial control/automation
- Data Mining

## Contents





## Association rules

People at a supermarket

Transaction	Items
$t_1$	Beef, Chicken, Milk
t <sub>2</sub>	Beef, Cheese
t3	Cheese, Boots
t4	Beef, Chicken, Cheese
t <sub>5</sub>	Beef, Chicken, Clothes, Cheese, Milk
t <sub>6</sub>	Chicken, Clothes, Milk
t <sub>7</sub>	Chicken, Milk, Clothes

## Association rules

- Item set *I* = {Beer, Chicken, Clothes, Chesse, Milk, Boots}
- Transaction set  $T = \{t_1, t_2, \cdots\}$

An association rule is of the form

$$X \Rightarrow Y$$

Where  $X \subset I$ ,  $Y \subset I$ ,  $X \cap Y = \emptyset$ . X and Y are called *itemsets*. Example: {Beer, Chicken}  $\Rightarrow$  {Cheese}

## Association rule strength

### Support

# It can be interpreted as the probability of occurrence of X and Y together in a transaction.

 $\frac{|X \cup Y|}{|T|}$ 

## Confidence

$$\frac{|X \cup Y|}{|X|}$$

It can be interpreted as the conditional probability of Y given X.

The objective is to find rules with some minimum support and confidence.

Two steps

- Generate all frequent itemsets, with support greater than some minimum
- Generate all association rules, with confidence greater than some minimum

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- Generate all frequent itemsets, with support greater than some minimum
- Generate all association rules, with confidence greater than some minimum

#### Downward closure property

If an itemset has minimum support, every non-empty subset of it has minimum support

Generate frequent itemsets

# **Algorithm:** Frequent itemset generation

**Data**:  $T = \{t_1, t_2, \dots, t_n\}, tx$  $I = \{i_1, i_2, \cdots, i_m\}$ , items  $S^*$ , minimum support **Result**:  $F \subset 2^{\prime}$ , itemsets with support  $> S^*$  $F_1 = \{i | support(\{i\}) \ge S^*\};$  $k \leftarrow 2$ : while  $F_{k-1} \neq \emptyset$  do  $C_k \leftarrow candidate\_gen(F_{k-1});$  $F_k \leftarrow \{c \in C_k | support(c) > S^*\}$  $k \leftarrow k + 1$ end return  $\bigcup_{k} F_{k}$ 

#### Algorithm: Candidate generation

```
Data: F_k = \{\{i_1, i_2, \cdots, i_k\}, \cdots\}.
         k-sized itemsets
Result: C_{k+1} =
           \{\{i_1, i_2, \cdots, i_{k+1}\}, \cdots\},\
           k+1-sized itemsets
C_{k+1} \leftarrow \emptyset:
forall the f_1, f_2 | f_1 differs from f_2 only in
the last element do
     if every k-subset of f_1 \cup f_2 is in F_k
     then
      | C_{k+1} \leftarrow C_{k+1} \cup \{f_1 \cup f_2\};
     end
end
return C_{k+1}
```

A little example

Transaction	Items
t <sub>1</sub>	1, 2, 3
t <sub>2</sub>	1, 4
t <sub>3</sub>	4, 5
t4	1, 2, 4
t <sub>5</sub>	1, 2, 3, 4, 6
t <sub>6</sub>	2, 3, 6
t <sub>7</sub>	2, 3, 6

 $S^* = 30\%$  (At least 3 examples (because 3/7 > 0.3?))