

# PAUTA P1 AUX #6

Lo primero es determinar el caudal

$$E = z_0 = \mu a + \frac{q^2}{2g(\mu a)^2} \Leftrightarrow q = \sqrt{(z_0 - \mu a) 2g(\mu a)^2} = 4,175 \text{ [m}^3\text{/s/m]}$$

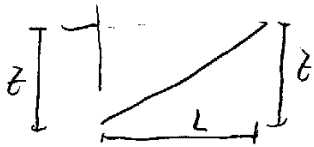
$$\Rightarrow Q = qb = 12,525 \text{ [m}^3\text{/s]} ; h_c = \sqrt[3]{\frac{Q^2}{g}} = 1,212 \text{ [m]}$$

$$i_c = \left( \frac{Qn}{AR^{4/3}} \right) ; A_c = b h_c = 1,212 \cdot 3 = 3,636 \text{ [m}^2\text{]} ; X_c = 2h_c + b = 5,424 \text{ [m]}$$

$$\Rightarrow R_c = 0,67 \text{ [m]} \Rightarrow i_c = \left( \frac{12,525 \cdot 0,013}{3,636 \cdot 0,67^{4/3}} \right)^2 = 0,0034$$

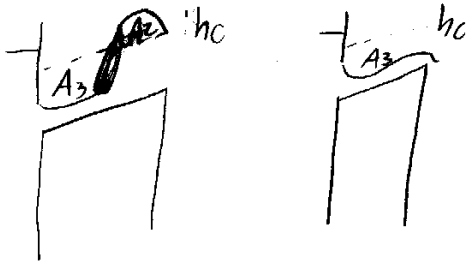
Ejes Posibles

1)  $S_1 - \infty < i < i_1 \Rightarrow$  No hay escurrimiento



$$z = i_1 \cdot L \Leftrightarrow i_1 = \frac{z}{L} = \frac{3}{100} = 0,03 \Rightarrow i_1 = -0,03$$

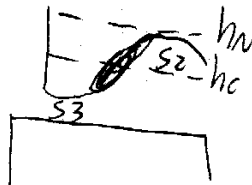
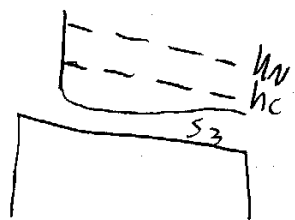
2)  $S_1 - 0,03 < i < 0 \Rightarrow$  Pendiente adversa



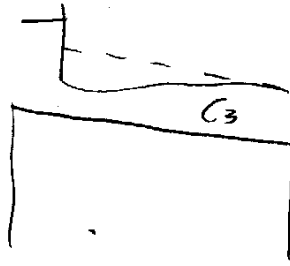
3)  $i = 0$



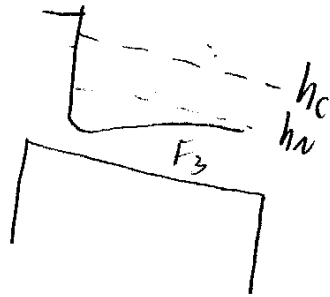
4)  $0 < i < i_c$



5)  $i = i_c = 0,0034$



6)  $i_c < i < i_2$



7)  $i_2 < i < \infty$



Encontremos  $i_2$ : Pendiente  $t_g$   $h_n = 0,61$

$$i = \left( \frac{Qn}{AR^{2/3}} \right)^2 = \left( \frac{Qn}{hnb \left( \frac{h_n}{2h_n + b} \right)^{2/3}} \right)^2 = \left( \frac{12,525 \cdot 0,013}{0,61 \cdot 3 \left( \frac{0,61 \cdot 3}{2 \cdot 0,61 + 3} \right)^{2/3}} \right)^2 = 0,024$$